

LinMorph: Learning to Morph Weights for Efficient Video DiT Linearization

Lingyi Long¹, Congyue Zhao¹, Xiaoou Li¹, Yanmin Qian^{1,2}, Tao Huang^{1,2†}

¹Shanghai Jiao Tong University

²VUI Labs Research

†Correspondence: t.huang@sjtu.edu.cn.

Abstract

Post-hoc linearization is an attractive way to accelerate pretrained Video Diffusion Transformers (Video DiTs), yet existing methods largely treat the quality loss induced by attention replacement as a recovery problem. We show that a more fundamental bottleneck lies upstream: *initialization*. Random initialization discards pretrained knowledge, whereas manual weight reuse transfers it through rigid and incomplete source–target correspondences. We introduce **LinMorph**, which recasts Video DiT linearization as a learnable softmax-to-linear weight transformation problem. Instead of copying predefined counterparts, LinMorph learns a cross-parameter morphism that lets each target Gated DeltaNet (GDN) parameter draw jointly from pretrained query, key, value, and output projections, including for parameters with no direct softmax counterpart. A single morphism is shared across layers and learned through local teacher alignment, while producing layer-specific initializations from their respective pretrained weights. The resulting weights are then materialized as independent GDN modules for progressive distillation and joint recovery. Since the morphism operates in weight space rather than token space, it can be learned on short, low-resolution clips and directly reused at larger video scales. Across pretrained Video DiTs, LinMorph enables markedly faster recovery and better final generation quality than random initialization and heuristic weight reuse. Results show that efficient linearization depends not only on how a converted model is recovered, but critically on how pretrained knowledge is transferred before recovery.

Project and Code

Project page	https://lonelyling.github.io/LinMorph/
Code repository	https://github.com/lonelyling/LinMorph
Model checkpoints	https://huggingface.co/Lonely/LinMorph

Contents

1	Introduction	3
2	LinMorph: Softmax-to-Linear Weight Morphism	4
2.1	Cross-Parameter Weight Transformation	4
2.2	Shared Morphism Optimization	6
2.3	Progressive Conversion and Recovery	6
3	Understanding the Learned Weight Morphism	7
3.1	Learned Cross-Parameter Structure	7
3.2	Functional Fidelity of the Initialization	8
4	Experiments	8
4.1	Experimental Setup	8
4.2	Initialization Quality and Recovery Efficiency	8
4.3	Generation Quality	9
4.4	Progressive versus One-Shot Recovery	10
4.5	Inference Efficiency	11
4.6	Transformation Design	11
5	Conclusion	12
	References	13
A	Related Work	15
B	Implementation Details of LinMorph	16
B.1	Notation and Parameter Conventions	16
B.2	Target Operator, Shapes, and Initialization	17
B.3	Auxiliary Parameter Construction	18
B.4	Mapping Optimization and Parameter Accounting	19
B.5	Progressive Replacement and Recovery Details	20
C	Experimental Protocols and Additional Results	21
C.1	Recovery Protocols and Checkpoint Accounting	21
C.2	Evaluation Metrics and Statistical Scope	22
C.3	Progressive Recovery: Complete Prediction Diagnostics	23
C.4	Additional Functional Diagnostics	24
C.5	Cross-Layer Sharing and Generalization	26
C.6	Benchmark Protocols and Reference Sources	27
C.7	Runtime Measurement Details	28
C.8	Qualitative Comparisons	30

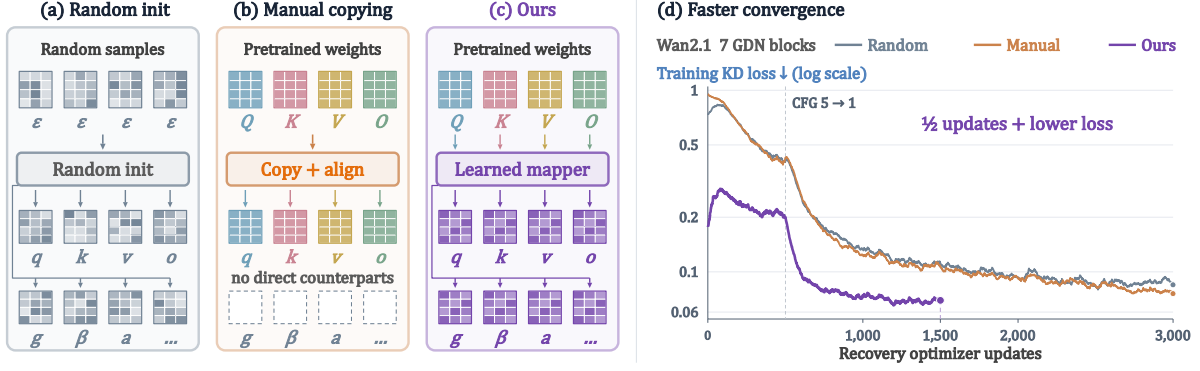


Figure 1. Comparisons of different weight initialization methods. (a) Random initialization discards pretrained knowledge, while (b) manual copying relies on partial one-to-one correspondences. (c) Our LinMorph learns a cross-parameter transformation that initializes both matched and target-specific linear-attention parameters. (d) The resulting initialization yields substantially faster recovery and lower KD loss.

1 Introduction

Video diffusion transformers (Video DiTs) [1–4] have recently emerged as a dominant paradigm for high-quality video generation, benefiting from the scalability and expressive capacity of Transformer architectures [5]. However, their computational cost grows rapidly with the number of spatio-temporal tokens, making full softmax attention increasingly expensive for high-resolution and long-duration video generation. Linear attention provides a promising alternative by reducing the quadratic complexity of token interaction to linear or near-linear complexity [6–8]. Yet, training a linear-attention Video DiT from scratch is itself prohibitively expensive. A more practical route is therefore to *linearize* an existing pretrained Video DiT by replacing its softmax attention modules with efficient linear counterparts, followed by a short recovery stage to restore generation quality [9–11]. This post-hoc linearization paradigm enables efficient video generation while preserving the value of expensive pretrained models.

Despite its appeal, post-hoc linearization faces an overlooked initialization problem. Existing approaches typically either initialize the new linear attention from scratch and rely on recovery training to reconstruct the lost functionality [12], or manually copy seemingly corresponding softmax projections into the target operator [12, 13]. The former discards knowledge already encoded in the pretrained attention weights, while the latter relies on rigid and often incomplete source–target correspondences. This limitation becomes particularly pronounced for modern recurrent linear attention operators, whose parameterizations contain components with no direct softmax counterpart. Consequently, a substantial difficulty of Video DiT linearization may arise before recovery begins: from how the replacement module is initialized.

This observation suggests a different formulation. Rather than asking *which pretrained softmax weights should be copied to which linear-attention parameters*, we ask *how pretrained softmax weights should be transformed into an effective linear-attention initialization*. From this perspective, manual copying is only a highly constrained transformation with a predefined one-to-one correspondence. A learned transformation can instead exploit information jointly distributed across multiple pretrained projections and construct parameters even when no explicit counterpart exists in the source attention.

Building on this idea, we propose **LinMorph**, a parameter-efficient weight-morphing framework for post-hoc Video DiT linearization. LinMorph learns a source-conditioned transformation shared across layers: each layer provides its own pretrained softmax weights, while the same learned

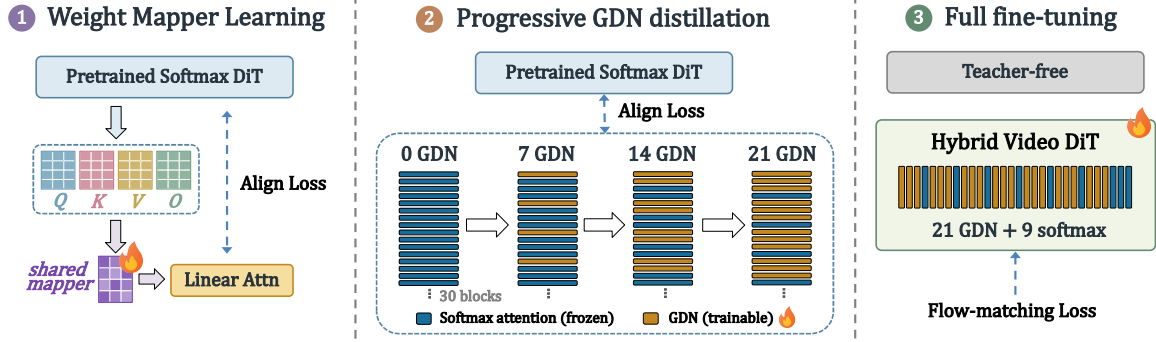


Figure 2. Overview of LinMorph. A shared weight morphism is first learned from the frozen softmax teacher and used to generate GDN initialization weights. After materialization, the mapper is discarded and the GDN modules are progressively introduced and recovered by prediction distillation. The resulting hybrid Video DiT is finally fine-tuned end-to-end without the teacher.

rule constructs its linear-attention initialization. The transformation is fitted through local teacher alignment in a compact shared parameter space, after which the generated weights are materialized as independent replacement modules and optimized by progressive distillation and joint recovery. Because the morphism acts on model weights rather than video tokens, it can be learned from short, low-resolution clips and reused to initialize recovery at larger video scales. Figure 1 contrasts LinMorph with random initialization and manual weight reuse.

Experiments on pretrained Video DiTs show that LinMorph provides a substantially stronger starting point than both random initialization and heuristic weight reuse, leading to faster recovery and better final generation quality. The learned morphism also transfers across video resolutions and durations without mapper refitting, allowing the initialization to be learned at a cheaper video scale and reused for more expensive recovery. These results highlight a complementary axis for efficient Video DiT linearization: beyond designing a better attention operator or recovery objective, it is equally important to determine how pretrained softmax knowledge is transferred into the new parameterization.

2 LinMorph: Softmax-to-Linear Weight Morphism

LinMorph learns a source-conditioned transformation shared across layers to initialize Gated DeltaNet (GDN) replacements in pretrained Video DiTs [14]. Each layer supplies its own softmax weights, while the shared rule constructs its GDN initialization. Figure 2 summarizes three stages: local mapper fitting, progressive distillation of the materialized replacements, and teacher-free joint fine-tuning.

2.1 Cross-Parameter Weight Transformation

For layer ℓ , let $\Theta_{\text{soft}}^{(\ell)}$ denote the pretrained softmax-attention parameters and $\tilde{\Theta}_{\text{lin}}^{(\ell)}$ the initialization of its GDN replacement. LinMorph applies a weight morphism shared across participating layers,

$$\tilde{\Theta}_{\text{lin}}^{(\ell)} = \mathcal{T}_{\phi, \psi} \left(\Theta_{\text{soft}}^{(\ell)} \right), \quad (1)$$

where ϕ parameterizes a source-conditioned base transformation and ψ a residual correction. The transformation parameters are shared, but the resulting initializations are layer-specific because each layer provides different pretrained source weights. LinMorph therefore shares the *transformation rule*, rather than the weights of the resulting GDN modules. Here, “morphism”

refers to a learned cross-architecture weight transformation, not an exact function-preserving mapping between softmax attention and GDN. Figure 3 illustrates the shared mapper for an individual target parameter.

Cross-parameter mixing. Rather than prescribing a one-to-one source–target correspondence, LinMorph allows each target parameter to draw information jointly from all pre-trained softmax projections. Let $\mathbf{W}_s^{(\ell)} \in \mathbb{R}^{D \times D}$, $s \in \mathcal{S} = \{Q, K, V, O\}$, denote the four source projections. Given shape-aligned source matrices $\{\mathbf{Z}_s\}_{s \in \mathcal{S}}$, we define

$$\mathcal{M}_j(\{\mathbf{Z}_s\}_{s \in \mathcal{S}}) = \sum_{s \in \mathcal{S}} \alpha_{j,s} \mathbf{Z}_s, \quad (2)$$

where $\alpha_{j,s}$ are learned unconstrained coefficients shared across layers. Each target parameter j thus learns not only *which* pretrained projections are useful, but also *how* their information should be combined.

Dimension and parameter alignment. Softmax attention and GDN need not have matching internal dimensions. We introduce target-specific adapters $\mathbf{E}_j$ for the attention-channel dimension, together with hidden-width bridges $\mathbf{B}_{\text{up}}$ and $\mathbf{B}_{\text{down}}$ between the pretrained DiT width D and the GDN width D_g . For the main GDN projections, the source-conditioned mixtures are

$$\mathbf{W}_{j,\text{mix}}^{(\ell)} = \mathcal{M}_j(\{\mathbf{E}_j \mathbf{W}_s^{(\ell)}\}_{s \in \mathcal{S}}), \quad j \in \{q, k, v, g\}, \quad (3)$$

$$\mathbf{W}_{o,\text{mix}}^{(\ell)} = \mathcal{M}_o(\{\mathbf{W}_s^{(\ell)} \mathbf{E}_o\}_{s \in \mathcal{S}}), \quad (4)$$

from which the base target weights are constructed as

$$\overline{\mathbf{W}}_j^{(\ell)} = \mathbf{W}_{j,\text{mix}}^{(\ell)} \mathbf{B}_{\text{down}}, \quad j \in \{q, k, v, g\}, \quad \overline{\mathbf{W}}_o^{(\ell)} = \mathbf{B}_{\text{up}} \mathbf{W}_{o,\text{mix}}^{(\ell)}. \quad (5)$$

The bridges connect the GDN replacement to the surrounding DiT while preserving the external hidden width. GDN additionally contains parameters without direct softmax counterparts, including update and decay projections, short convolutions, and normalization parameters. We construct these parameters from compact source-conditioned statistics of the pretrained projections and apply the same learned cross-parameter mixing principle. This allows pretrained information to contribute even when an explicit source–target correspondence does not exist. Detailed constructions are provided in Appendix B.3.

Residual correction. The source-conditioned transformation provides a structured base initialization, but need not fully account for the parameterization gap between softmax attention and GDN. We therefore augment each generated weight with a shared residual in the native target space,

$$\widetilde{\mathbf{W}}_j^{(\ell)} = \overline{\mathbf{W}}_j^{(\ell)} + \Delta \mathbf{W}_j, \quad j \in \{q, k, v, o, g, \beta\}, \quad (6)$$

where $\widetilde{\mathbf{W}}_j^{(\ell)}$ denotes the final weight used to initialize the replacement before recovery. The mixing coefficients, adapters, bridges, and residual corrections are shared across participating layers, while the source-conditioned term preserves layer-specific information.

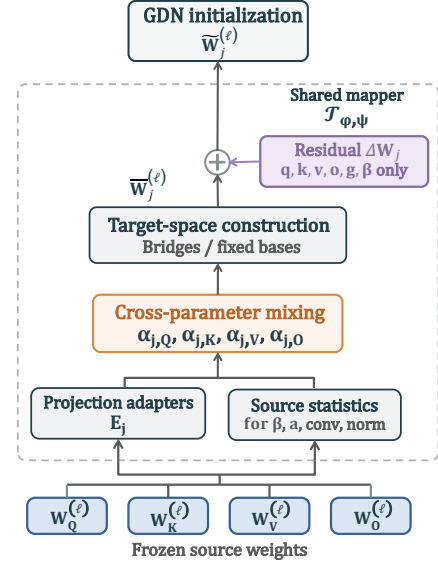


Figure 3. Shared weight mapper. Shown for a target parameter j . Alignment and construction are target-dependent; residual correction applies only to q, k, v, o, g, β .

With matching dimensions, identity adapters and bridges, zero residuals, and a one-hot source mixture, LinMorph reduces to direct one-to-one weight copying. Manual reuse can therefore be viewed as a restricted special case of the proposed transformation, whereas LinMorph learns how pretrained information should be reassigned to the target parameterization.

2.2 Shared Morphism Optimization

Local teacher alignment. We optimize the shared morphism by locally matching each mapped GDN replacement to its corresponding pretrained softmax block. Given a noisy video latent $\mathbf{z}_t$ and text condition c , a frozen teacher forward pass provides, for each participating layer ℓ , the block input $\mathbf{X}_T^{(\ell)}$, the attention output $\mathbf{A}_T^{(\ell)}$, and the complete block output $\mathbf{Y}_T^{(\ell)}$.

For each layer, we then replay the block using the mapped GDN initialization $\tilde{\Theta}_{\text{lin}}^{(\ell)}$, while fixing its input to the teacher activation $\mathbf{X}_T^{(\ell)}$. This produces $\hat{\mathbf{A}}^{(\ell)}$ and $\hat{\mathbf{Y}}^{(\ell)}$ for the mapped attention module and the full block, respectively. All non-attention components remain frozen, while gradients are propagated through them to the shared morphism. Using the teacher activation independently at every layer isolates the local conversion error and prevents mismatches from preceding replacements from accumulating during mapper optimization.

We match both the attention output and its effect on the surrounding block:

$$\mathcal{L}_{\text{map}} = \frac{1}{|\mathcal{B}|} \sum_{\ell \in \mathcal{B}} \left[\mathcal{D}(\hat{\mathbf{A}}^{(\ell)}, \mathbf{A}_T^{(\ell)}) + \mathcal{D}(\hat{\mathbf{Y}}^{(\ell)}, \mathbf{Y}_T^{(\ell)}) \right], \quad (7)$$

where $\mathcal{D}(\cdot, \cdot)$ denotes element-wise mean squared error. The first term directly aligns the replacement operator, while the second measures whether the mapped attention remains compatible with the surrounding pretrained block.

Two-stage optimization. We first optimize the source-conditioned base transformation ϕ with the residual correction fixed to zero. We then freeze ϕ and optimize only ψ under the same alignment objective. This decomposition first captures the reusable transformation structure shared across layers, and then corrects the remaining mismatch directly in the native GDN parameter space.

Materialization. After optimization, we evaluate $\mathcal{T}_{\phi^*, \psi^*}$ once on the pretrained parameters of each participating layer and materialize the resulting $\tilde{\Theta}_{\text{lin}}^{(\ell)}$ as independent GDN parameters. The shared mapper is then discarded; the materialized modules are no longer tied across layers and can be optimized independently during subsequent recovery.

Because the morphism is shared across layers and operates in weight space, mapper fitting optimizes a much smaller parameter set than directly recovering all converted GDN modules. Moreover, its parameterization depends on model dimensions rather than video token count at a fixed architecture. We therefore fit the morphism using short, low-resolution clips and reuse the resulting initialization for recovery at larger video scales; this cross-scale behavior is examined in Appendix C.4.1.

2.3 Progressive Conversion and Recovery

Progressive distillation. The materialized LinMorph weights provide the starting point for converting the pretrained Video DiT. Rather than replacing many softmax blocks at once, we progressively increase the number of GDN replacements, e.g., $0 \rightarrow 7 \rightarrow 14 \rightarrow 21$ for Wan2.1, as illustrated in Figure 2. At each stage, newly introduced GDN modules are initialized by LinMorph,

while previously converted modules inherit their recovered weights. The converted modules and their bridges are then adapted by matching the velocity prediction of the frozen softmax teacher,

$$\mathcal{L}_{\text{KD}} = \text{MAE}(\mathbf{v}_{\theta}(\mathbf{z}_t, t, c), \mathbf{v}_T(\mathbf{z}_t, t, c)). \quad (8)$$

Progressive conversion limits the architectural change introduced at each stage, allowing the mapped initialization to be adapted before further softmax blocks are replaced.

Teacher-free joint fine-tuning. Once the target replacement ratio is reached, we remove teacher supervision and jointly fine-tune the entire hybrid Video DiT with flow-matching objective,

$$\mathcal{L}_{\text{FM}} = \mathbb{E}[w(t) \text{MSE}(\mathbf{v}_{\theta}(\mathbf{z}_t, t, c), \epsilon - \mathbf{z}_0)]. \quad (9)$$

This final stage allows the softmax and GDN blocks to co-adapt under the original generative objective, producing the recovered hybrid model used for inference.

3 Understanding the Learned Weight Morphism

We isolate the learned morphism before downstream recovery to understand why it provides an effective initialization. We first examine the cross-parameter structure discovered by LinMorph, then evaluate the functional fidelity of the resulting initialization.

3.1 Learned Cross-Parameter Structure

LinMorph does not simply recover the namesake correspondences used by manual weight copying. Figure 4 visualizes the learned source-mixing coefficients $\alpha_{j,s}$. While the query and key targets retain strong contributions from their corresponding source projections, they also draw non-negligible information from other pretrained weights: cross-projection terms account for 6.08% and 12.20% of their absolute coefficient mass, respectively. For target parameters without a direct softmax counterpart, the learned assignments are even more distinctive. For example, $\mathbf{W}_O$ contributes 82.16% of the absolute coefficient mass for the update projection β . These patterns suggest that the useful softmax-to-linear correspondence is neither strictly one-to-one nor determined by parameter names.

We further test whether these learned correspondences are functionally meaningful rather than incidental. Without any additional optimization, we intervene on the fitted mapper while keeping all other parameters fixed. Restricting q, k, v, o to their namesake source projections increases block NMSE by 5.66%. More strikingly, cyclically permuting the learned source assignments for GDN-specific parameters increases block NMSE by 171.44%, despite preserving the norms of their coefficient vectors. The paired 95% bootstrap intervals are [5.34, 5.99]% and [162.73, 180.64]%.

Together, these results show that LinMorph learns structured cross-parameter relationships that are important for functional alignment.

The benefit therefore comes not merely from reusing pretrained weights, but from learning how

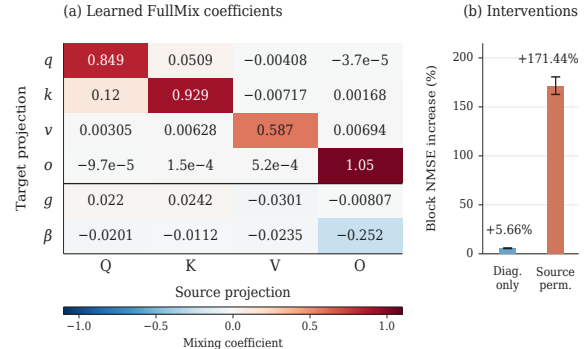


Figure 4. Learned cross-parameter structure. Left: source-mixing coefficients. Right: block-NMSE degradation after restricting or permuting the learned source assignments.

information distributed across different softmax projections should be reassigned to the target linear-attention parameterization.

3.2 Functional Fidelity of the Initialization

We next evaluate the mapped initialization before any downstream recovery. As shown in Table 1, the base morphism already achieves high teacher-forced block fidelity. Residual refinement further improves both attention- and block-level alignment, reducing block NMSE from 0.01360 to 0.01239 and increasing block cosine similarity from 0.99321 to 0.99381.

These results are measured before progressive distillation or joint fine-tuning, showing that the learned weight transformation itself places the GDN replacement close to the pretrained softmax block in function space. The residual correction then captures the remaining mismatch in the target parameterization. Additional analyses of cross-scale reuse and cross-layer sharing are provided in Appendices C.4.1 and C.5, respectively.

Table 1. Pre-recovery initialization fidelity. Evaluated on 64 HQ videos, 30 blocks, and five diffusion timesteps.

Initialization	Block NMSE ↓	Block Cos. ↑
Random	0.09483	0.96211
Manual copying	0.09446	0.96209
Base	0.01360	0.99321
Base + residual	0.01239	0.99381

4 Experiments

4.1 Experimental Setup

Backbones and data. Our primary backbone is the 30-block Wan2.1-T2V-1.3B [4], for which we replace 14 or 21 softmax-attention blocks with GDN. To test cross-backbone applicability, we additionally replace six blocks of Wan2.2-T2V-5B [15] in text-to-video mode. All initialization ablations within each backbone use the same target architecture and recovery recipe. Wan2.1 uses our curated high-quality internet-video set (*HQ videos*) for mapper fitting and recovery, while Wan2.2 recovery uses OpenVid [16]. The Wan2.2 experiment uses a separately fitted shared-mapper variant; its details are provided in Appendix C.

Evaluation. We evaluate functional fidelity with normalized mean squared error (NMSE) and cosine similarity at both block and final-output levels. Teacher-forced metrics isolate individual replacements on teacher hidden states, whereas depth-rollout metrics propagate student representations through the DiT and measure the composed model. All initialization and recovery-schedule ablations use the same fixed HQ evaluation subset. Generation quality is evaluated with VBench [17] and VBench-2.0 [18]. Detailed training settings, metric definitions, evaluation subsets, and checkpoint accounting are provided in Appendix C.

4.2 Initialization Quality and Recovery Efficiency

We isolate the effect of initialization by holding the target architecture and recovery recipe fixed, and compare LinMorph with random initialization and dimension-aligned manual copying. Table 2 reports functional fidelity, while Figures 1(d) and 6 show the recovery dynamics on Wan2.1 and Wan2.2, respectively.

On Wan2.1 with seven GDN blocks, LinMorph reduces depth-rollout block NMSE by 61.4% over manual copying and 65.5% over random initialization after 1,500 updates, while lowering final-output NMSE to 0.01013. It also outperforms random initialization trained for twice as many updates (0.01682 at 3,000 updates), showing that a stronger initialization improves both

Table 2. Controlled initialization ablation on two Video DiT backbones. Within each backbone, all methods use the same target architecture, recovery recipe, and evaluation protocol.

Wan2.1: 7 GDN blocks						Wan2.2: 6 GDN blocks					
Init.	Upd.	Block NMSE ↓	Block Cos. ↑	Output NMSE ↓	Output Cos. ↑	Init.	Upd.	Block NMSE ↓	Block Cos. ↑	Output NMSE ↓	Output Cos. ↑
Random	1,500	0.1522	0.9315	0.0250	0.9873	Random	1,250	0.2886	0.8545	0.0357	0.9820
Manual	1,500	0.1359	0.9379	0.0230	0.9884	Manual	1,250	0.2673	0.8637	0.0320	0.9839
Random	3,000	0.1168	0.9449	0.0168	0.9915	Random	2,500	0.2148	0.8917	0.0258	0.9870
Manual	3,000	0.0905	0.9565	0.0137	0.9931	Manual	2,500	0.1872	0.9049	0.0222	0.9889
LinMorph	1,500	0.0525	0.9738	0.0101	0.9949	LinMorph	1,250	0.1476	0.9257	0.0235	0.9882

intermediate alignment and end-to-end prediction while substantially reducing recovery effort. Consistent with these fidelity gains, Figure 1(d) shows that LinMorph reaches a lower training KD loss in 1,500 updates than either baseline in 3,000 updates.

Wan2.2: higher block fidelity with half the recovery updates. The benefit extends to Wan2.2 with six replacements. Figure 6 shows that LinMorph substantially reduces the early recovery loss relative to manual copying and random initialization. At the same 1,250-update budget, LinMorph achieves lower block and final-output NMSE than both baselines. Moreover, after only 1,250 updates, LinMorph reaches a block NMSE of 0.14755, outperforming manual copying and random initialization trained for 2,500 updates, which obtain 0.18718 and 0.21479, respectively. Thus, the learned initialization achieves stronger block alignment with half as many recovery updates. Across both backbones, these results demonstrate the effectiveness of learning how pretrained weights should be transferred before recovery.

4.3 Generation Quality

Overall quality across two benchmarks. We evaluate the recovered models on VBench [17] and VBench-2.0 [18], covering perceptual and temporal quality as well as intrinsic video faithfulness. Table 3 consolidates the full-suite total scores for both conversion depths. Each LinMorph row uses the same checkpoint across the two benchmarks: microstep 8,000 for 14 GDN blocks and microstep 40,000 for 21 GDN blocks.

The references include the source backbone, CogVideoX-based generation and representation-alignment models, and recent Wan-based acceleration methods. These provide complementary context for generation quality; the matched initialization ablations in Section 4.2 isolate the benefit of learned weight transfer.

After 4,000 optimizer updates of final full-model fine-tuning, the 14-GDN model achieves **82.16** on VBench and **55.11** on VBench-2.0. Its VBench total is within 0.33 points of the reported Wan2.1-1.3B reference, while both totals exceed the reported CogVideoX-2B and VideoREPA-2B results. At a higher conversion ratio of $21/30 = 70\%$, LinMorph obtains **81.85*** and **52.13**, respectively, retaining a VBench total above 81 despite replacing most attention blocks.

Dimension-wise comparison with LinVideo. LinVideo [10] provides a direct post-training linearization reference on the same Wan2.1-1.3B backbone. Table 4 compares our 21-GDN model with its 16-block conversion using all eight dimensions reported in its main Wan2.1-1.3B comparison. This panel jointly covers frame appearance, motion, temporal consistency, and semantic alignment, allowing us to examine where quality is retained after conversion.

LinMorph has higher reported scores on **seven of eight dimensions** while converting five additional blocks. The largest gains are in aesthetic quality (+4.49 points), scene (+3.32), and

Table 3. Overall generation quality on VBench and VBench-2.0. Scores are on a 0–100 scale; higher is better. LinMorph uses 50-step sampling. [†] denotes an approximate score read from the 480×832 panel of Figure 5 in Ghafoorian et al. [9]. Reference provenance and evaluation details are provided in Appendix C.6.

Model	VB1 $\uparrow$	VB2 $\uparrow$	Model	VB1 $\uparrow$	VB2 $\uparrow$
<i>General video-generation models</i>					
Wan2.1-1.3B ^a	82.49	56.02	CogVideoX-1.5-5B ^c	82.01	53.40
MoAlign-2B ^b	81.30	55.90	CogVideoX-2B ^b	80.60	54.90
VideoREPA-2B ^b	80.50	55.00	VideoCrafter2 ^d	80.44	–
<i>Efficient video-generation models</i>					
Wan-DMD (2 steps) ^a	83.28	56.67	PyramidalWan-DMD-PT ^{*,a}	82.72	51.75
Wan-Adv (2 steps) ^a	82.35	54.82	SnapGen-V (4 steps) ^c	81.14	–
Wan-Adv (1 step) ^a	80.28	50.36	LTX-Video ^c	80.00	–
Open-Sora V1.2 ^c	79.76	–	Wan-DMD (1 step) ^a	79.45	53.17
<i>Linear-complexity video-generation models</i>					
Attention Surgery(15 $\times$ R2) ^e	83.21	55.10	M4V ^c	81.91	–
HLA-3F-R1-10 ^e	81.42	–	Attention Surgery (20 $\times$ R4) ^{e,$\dagger$}	≈ 81.1	–
LinMorph-14	82.16	55.11	LinMorph-21	81.85*	52.13

Table 4. Dimension-wise VBench comparison with LinVideo. All eight dimensions in the Wan2.1-1.3B panel of Huang et al. [10] are included. Scores are multiplied by 100; higher is better. Bold marks the higher score in each row. LinVideo converts 16/30 blocks; LinMorph converts 21/30.

Dimension	LinVideo	LinMorph (21 GDN)	Δ
Imaging quality	66.07	69.04	+2.97
Aesthetic quality	59.41	63.90	+4.49
Motion smoothness	98.19	98.58	+0.39
Dynamic degree	59.67	60.56	+0.89
Background consistency	96.72	97.16	+0.44
Subject consistency	95.12	95.48	+0.36
Scene	39.18	42.50	+3.32
Overall consistency	26.52	24.13	−2.39

Δ : LinMorph minus LinVideo, in score points. LinVideo uses unaugmented prompts and CFG five; LinMorph uses Wan-enhanced prompts and CFG six. This panel excludes temporal flickering and is unaffected by the prompt correction marked in Table 3.

imaging quality (+2.97), accompanied by higher motion smoothness, dynamic degree, and subject/background consistency. These results highlight the perceptual and temporal quality of the recovered 21-GDN model. Sampling settings and reference sources for both tables are detailed in Appendix C.6.

Qualitative comparisons appear in Figure 8 (Appendix C.8).

4.4 Progressive versus One-Shot Recovery

Progressive distillation and final joint fine-tuning serve complementary roles. Distillation adapts the inserted modules while retaining the pretrained backbone; joint fine-tuning then unfreezes the full DiT to adapt inter-block representations and the final denoising prediction together. We first test block alignment at the end of distillation, before this full-model adaptation.

We compare direct insertion of 21 GDN blocks with $0 \rightarrow 7 \rightarrow 14 \rightarrow 21$ progressive conversion, using the same mapped initialization bank and 4,500 total recovery updates. The progressive

Table 5. Block alignment after 21-GDN distillation. Both schedules use the same mapped initialization bank and 4,500 total optimizer updates. Metrics use student depth rollout, before final teacher-free full-model fine-tuning. Complete prediction diagnostics appear in Appendix C.3.

Schedule	Total updates	Block NMSE ↓	Block Cos. ↑
One-shot 0 → 21	4,500	0.18406	0.90358
Progressive 0 → 7 → 14 → 21	4,500	0.17931	0.90728

schedule uses 1,500 updates per stage and inherits previously recovered modules; the direct schedule trains all 21 replacements for 4,500 updates.

Progressive recovery reduces depth-rollout block NMSE by 2.58% and improves block cosine similarity from 0.90358 to 0.90728. This supports progressive insertion as a way to improve intermediate alignment before joint adaptation. The final teacher-free stage is designed to accommodate the representation changes introduced across blocks, allowing retained and replaced components to adapt together under the generation objective. Appendix C.3 reports the complete pre-fine-tuning diagnostics, including final-prediction metrics.

4.5 Inference Efficiency

Larger gains as video length increases. We benchmark the 21-GDN hybrid against pretrained Wan2.1 with FlashAttention-2 [19], using BF16 and batch size one on an A800-80GB. Figure 5 reports attention-module, full-backbone, and end-to-end generation speedups using the original FLA implementation. At 480×832 , attention-module speedup increases from $2.02\times$ at 321 frames to $3.91\times$ at 641 frames. The full DiT reaches $1.48\times$ speedup at 321 frames and $1.76\times$ at 481 frames, showing that the operator-level gains translate into backbone acceleration.

End-to-end acceleration. At 321 frames, full generation decreases from 1,604.7 to 1,094.0 seconds, a $1.47\times$ speedup. This measurement includes text encoding, denoising, and VAE decoding, demonstrating a practical reduction in generation latency beyond the replaced attention modules. Absolute latencies, resource use, and the measurement protocol are provided in Appendix C.7.

4.6 Transformation Design

We compare manual copying and five learned mappings under a common teacher, target architecture, and evaluation protocol, with equal fitting budgets for the learned variants. PreMix/PostMix denotes source-weight mixing before/after dimensional expansion; residual refinement adds a full-rank correction in native target space. Table 6 shows that residual refinement improves every learned variant across all four metrics. FullMix achieves the best block fidelity, while PostHeadMix achieves the best output fidelity, both with residual refinement.

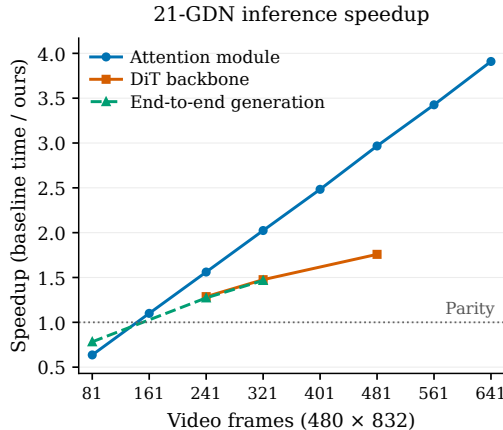


Figure 5. 21-GDN inference speedup. Attention/backbone: median and IQR over three paired rounds; end-to-end: one pair. Protocol: Appendix C.7.

Table 6. Comparison of weight-transformation designs. Entries report results without / with residual refinement. Block metrics use teacher-forced inputs; output metrics evaluate the cascade of all 30 mapped modules. Evaluation uses 64 videos and five diffusion timesteps. Bold marks the best result in each metric.

Transformation	Block NMSE ↓	Block Cos. ↑	Output NMSE ↓	Output Cos. ↑
Manual	0.1002 / –	0.9614 / –	4.1482 / –	0.2395 / –
FullMix	0.0177 / 0.0161	0.9912 / 0.9920	0.7810 / 0.6390	0.6456 / 0.7051
PreHeadMix	0.0221 / 0.0207	0.9890 / 0.9897	1.5084 / 1.2746	0.5176 / 0.5745
PostHeadMix	0.0175 / 0.0162	0.9913 / 0.9919	0.7376 / 0.6166	0.6625 / 0.7135
PreChannelMix	0.0183 / 0.0166	0.9908 / 0.9917	0.9758 / 0.6926	0.6071 / 0.6893
PostChannelMix	0.0207 / 0.0181	0.9897 / 0.9910	1.4928 / 0.8154	0.4759 / 0.6536

5 Conclusion

We presented LinMorph, a framework that treats post-hoc Video DiT linearization as a learnable weight transformation problem rather than solely a recovery problem. Instead of random initialization or rigid manual copying, LinMorph learns cross-parameter correspondences that transfer pretrained softmax knowledge into GDN parameters, including those without direct source counterparts. A single source-conditioned morphism is shared across layers while producing layer-specific initializations. Operating in weight space, it can be fitted on short, low-resolution clips and reused at larger video scales without refitting. Experiments on two Wan backbones demonstrate improved initialization fidelity and faster recovery, while the resulting hybrid models achieve strong generation quality and accelerate long-video inference. These findings establish learned initialization as a complementary axis for efficient linearization: how pretrained knowledge is transferred before recovery matters alongside how the converted model is subsequently optimized.

AI use statement

Generative AI tools were used to assist with literature discovery and synthesis, methodological and experimental feedback, software and plotting support, interpretation and presentation of experimental results, and manuscript organization, translation, and language editing. All AI-assisted code, analyses, citations, claims, and text are subject to author review and verification against the implementation, experimental records, and original sources. The authors take responsibility for the final content of this work, including material produced with the aid of generative AI.

Ethics statement

This work studies the efficient adaptation and inference of pretrained video diffusion models. The resulting generators may inherit biases and misuse risks from their pretrained backbones, including the creation of misleading or non-consensual media. Responsible deployment should include appropriate content safeguards and clear identification of synthetic media. Our experiments use pretrained models, existing datasets, and a curated set of high-quality internet videos. The use and any redistribution of these resources should respect applicable licenses, copyright, privacy, and consent requirements.

Reproducibility statement

Section 2 describes the shared weight morphism and its training objectives. Appendix B specifies target-parameter construction, dimensional alignment, initialization, optimization, and

progressive replacement. Appendix C documents backbone-specific recovery settings, baseline initialization recipes, and checkpoint accounting. Functional evaluation metrics and statistical scope are provided in Appendix C.2; generation settings and benchmark reference sources are detailed in Appendix C.6. Appendix C.7 reports the timing environment, measurement scopes, warmup procedures, and aggregation protocol.

References

- [1] Xin Ma, Yaohui Wang, Xinyuan Chen, Gengyun Jia, Ziwei Liu, Yuan-Fang Li, Cunjian Chen, and Yu Qiao. Latte: Latent diffusion transformer for video generation. *Transactions on Machine Learning Research*, 2025. ISSN 2835-8856. URL <https://openreview.net/forum?id=ntGPYNUF3t>.
- [2] Zhuoyi Yang, Jiayan Teng, Wendi Zheng, Ming Ding, Shiyu Huang, Jiazheng Xu, Yuanming Yang, Wenyi Hong, Xiaohan Zhang, Guanyu Feng, Da Yin, Yuxuan Zhang, Weihang Wang, Yean Cheng, Bin Xu, Xiaotao Gu, Yuxiao Dong, and Jie Tang. Cogvideox: Text-to-video diffusion models with an expert transformer. In *The Thirteenth International Conference on Learning Representations*, 2025. URL <https://openreview.net/forum?id=LQzN6TRFg9>.
- [3] Weijie Kong, Qi Tian, Zijian Zhang, Rox Min, Zuozhuo Dai, Jin Zhou, Jiangfeng Xiong, Xin Li, Bo Wu, Jianwei Zhang, et al. HunyuanVideo: A systematic framework for large video generative models. *arXiv preprint arXiv:2412.03603*, 2024.
- [4] Team Wan. Wan: Open and advanced large-scale video generative models. *arXiv preprint arXiv:2503.20314*, 2025.
- [5] William Peebles and Saining Xie. Scalable diffusion models with transformers. In *Proceedings of the IEEE/CVF International Conference on Computer Vision*, pages 4195–4205, 2023.
- [6] Angelos Katharopoulos, Apoorv Vyas, Nikolaos Pappas, and François Fleuret. Transformers are RNNs: Fast autoregressive transformers with linear attention. In *Proceedings of the 37th International Conference on Machine Learning*, volume 119 of *Proceedings of Machine Learning Research*, pages 5156–5165, 2020.
- [7] Songlin Yang, Bailin Wang, Yikang Shen, Rameswar Panda, and Yoon Kim. Gated linear attention transformers with hardware-efficient training. In *Proceedings of the 41st International Conference on Machine Learning*, volume 235 of *Proceedings of Machine Learning Research*, pages 56501–56523, 2024.
- [8] Songlin Yang, Bailin Wang, Yu Zhang, Yikang Shen, and Yoon Kim. Parallelizing linear transformers with the delta rule over sequence length. In *Advances in Neural Information Processing Systems*, 2024.
- [9] Mohsen Ghafoorian, Denis Korzhenkov, and Amirhossein Habibian. Attention surgery: An efficient recipe to linearize your video diffusion transformer. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 32915–32925, 2026.
- [10] Yushi Huang, Xingtong Ge, Ruihao Gong, Chengtao Lv, and Jun Zhang. LinVideo: A post-training framework towards $O(n)$ attention in efficient video generation. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 23398–23408, 2026.
- [11] Mohsen Ghafoorian and Amirhossein Habibian. ReHyAt: Recurrent hybrid attention for video diffusion transformers. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 40674–40684, 2026.
- [12] Jiahao Wang, Ning Kang, Lewei Yao, Mengzhao Chen, Chengyue Wu, Songyang Zhang, Shuchen Xue, Yong Liu, Taiqiang Wu, Xihui Liu, Kaipeng Zhang, Shifeng Zhang, Wenqi Shao, Zhenguo Li, and Ping Luo. LiT: Delving into a simple linear diffusion transformer for image generation. In *Proceedings of the IEEE/CVF International Conference on Computer Vision*, pages 16068–16078, 2025.
- [13] Jungo Kasai, Hao Peng, Yizhe Zhang, Dani Yogatama, Gabriel Ilharco, Nikolaos Pappas, Yi Mao, Weizhu Chen, and Noah A. Smith. Finetuning pretrained transformers into RNNs. In *Proceedings of the 2021 Conference on Empirical Methods in Natural Language Processing*, pages 10630–10643, 2021. doi: 10.18653/v1/2021.emnlp-main.830. URL <https://aclanthology.org/2021.emnlp-main.830/>.

- [14] Songlin Yang, Jan Kautz, and Ali Hatamizadeh. Gated delta networks: Improving mamba2 with delta rule. In *The Thirteenth International Conference on Learning Representations*, 2025. URL <https://openreview.net/forum?id=r8H7xhYPwz>.
- [15] Team Wan. Wan2.2: Official models and code. GitHub repository, 2025. URL <https://github.com/Wan-Video/Wan2.2>.
- [16] Kepan Nan, Rui Xie, Penghao Zhou, Tiehan Fan, Zhenheng Yang, Zhijie Chen, Xiang Li, Jian Yang, and Ying Tai. OpenVid-1M: A large-scale high-quality dataset for text-to-video generation. In *The Thirteenth International Conference on Learning Representations*, 2025. URL <https://openreview.net/forum?id=j7kdXSrISM>.
- [17] Ziqi Huang, Yinan He, Jiashuo Yu, Fan Zhang, Chenyang Si, Yuming Jiang, Yuanhan Zhang, Tianxing Wu, Qingyang Jin, Nattapol Chanpaisit, Yaohui Wang, Xinyuan Chen, Limin Wang, Dahua Lin, Yu Qiao, and Ziwei Liu. VBench: Comprehensive benchmark suite for video generative models. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 21807–21818, 2024. URL https://openaccess.thecvf.com/content/CVPR2024/html/Huang_VBench_Comprehensive_Benchmark_Suite_for_Video_Generative_Models_CVPR_2024_paper.html.
- [18] Dian Zheng, Ziqi Huang, Hongbo Liu, Kai Zou, Yinan He, Fan Zhang, Lulu Gu, Yuanhan Zhang, Jingwen He, Wei-Shi Zheng, Yu Qiao, and Ziwei Liu. VBench-2.0: Advancing video generation benchmark suite for intrinsic faithfulness. *arXiv preprint arXiv:2503.21755*, 2025. URL <https://arxiv.org/abs/2503.21755>.
- [19] Tri Dao. FlashAttention-2: Faster attention with better parallelism and work partitioning. In *The Twelfth International Conference on Learning Representations*, 2024. URL <https://arxiv.org/abs/2307.08691>.
- [20] Imanol Schlag, Kazuki Irie, and Jürgen Schmidhuber. Linear transformers are secretly fast weight programmers. In *Proceedings of the 38th International Conference on Machine Learning*, volume 139 of *Proceedings of Machine Learning Research*, pages 9355–9366, 2021.
- [21] Hongjie Wang, Chih-Yao Ma, Yen-Cheng Liu, Ji Hou, Tao Xu, Jialiang Wang, Felix Juefei-Xu, Yaqiao Luo, Peizhao Zhang, Tingbo Hou, Peter Vajda, Niraj K. Jha, and Xiaoliang Dai. LinGen: Towards high-resolution minute-length text-to-video generation with linear computational complexity. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, 2025.
- [22] Junsong Chen, Yuyang Zhao, Jincheng YU, Ruihang Chu, Junyu Chen, Shuai Yang, Xianbang Wang, Yicheng Pan, Daquan Zhou, Huan Ling, Haozhe Liu, Hongwei Yi, Hao Zhang, Muyang Li, Yukang Chen, Han Cai, Sanja Fidler, Ping Luo, Song Han, and Enze Xie. SANA-video: Efficient video generation with block linear diffusion transformer. In *The Fourteenth International Conference on Learning Representations*, 2026. URL <https://openreview.net/forum?id=mzAchy1Atf>.
- [23] Songhua Liu, Zhenxiong Tan, and Xinchao Wang. CLEAR: Conv-like linearization revs pre-trained diffusion transformers up. In *Advances in Neural Information Processing Systems*, 2025. URL https://papers.nips.cc/paper_files/paper/2025/hash/e36da7acd188c6655792270b38830124-Abstract-Conference.html.
- [24] Philipp Becker, Abhinav Mehrotra, Ruchika Chavhan, Malcolm Chadwick, Luca Morreale, Mehdi Noroozi, Alberto Gil C. P. Ramos, and Sourav Bhattacharya. EDiT: Efficient diffusion transformers with linear compressed attention. In *Proceedings of the IEEE/CVF International Conference on Computer Vision*, pages 19608–19616, 2025.
- [25] Tianqi Chen, Ian J. Goodfellow, and Jonathon Shlens. Net2Net: Accelerating learning via knowledge transfer. In Yoshua Bengio and Yann LeCun, editors, *4th International Conference on Learning Representations, ICLR 2016, San Juan, Puerto Rico, May 2–4, 2016, Conference Track Proceedings*, 2016. URL <https://arxiv.org/abs/1511.05641>.
- [26] Tao Wei, Changhu Wang, Yong Rui, and Chang Wen Chen. Network morphism. In *Proceedings of the 33rd International Conference on Machine Learning*, volume 48 of *Proceedings of Machine Learning Research*, pages 564–572, 2016.
- [27] Mutian He and Philip N. Garner. Joint fine-tuning and conversion of pretrained speech and language models towards linear complexity. In *International Conference on Learning Representations*, 2025.

- [28] Fu Feng, Yucheng Xie, Jing Wang, and Xin Geng. WAVE: Weight templates for adaptive initialization of variable-sized models. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 4819–4828, 2025.
- [29] Jiaze Xu, Shiyu Xia, Jiaqi Lv, and Xin Geng. Unlocking pre-trained weights: Parameter inheritance for zero-shot initialization. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 34502–34511, 2026.
- [30] Denis Korzhnikov, Adil Karjauv, Animesh Karnear, Mohsen Ghafoorian, and Amirhossein Habibian. PyramidalWan: On making pretrained video model pyramidal for efficient inference. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, 2026. URL https://openaccess.thecvf.com/content/CVPR2026/papers/Korzhnikov_PyramidalWan_On_Making_Pretrained_Video_Model_Pyramidal_for_Efficient_Inference_CVPR_2026_paper.pdf.
- [31] Aritra Bhowmik, Denis Korzhnikov, Cees G. M. Snoek, Amirhossein Habibian, and Mohsen Ghafoorian. MoAlign: Motion-centric representation alignment for video diffusion models. In *International Conference on Learning Representations*, 2026. URL <https://openreview.net/forum?id=OR0ySm4l9h>.
- [32] Haoxin Chen, Yong Zhang, Xiaodong Cun, Menghan Xia, Xintao Wang, Chao Weng, and Ying Shan. VideoCrafter2: Overcoming data limitations for high-quality video diffusion models. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 7310–7320, 2024. URL https://openaccess.thecvf.com/content/CVPR2024/html/Chen_VideoCrafter2_Overcoming_Data_Limitations_for_High-Quality_Video_Diffusion_Models_CVPR_2024_paper.html.
- [33] Zangwei Zheng, Xiangyu Peng, Tianji Yang, Chenhui Shen, Shenggui Li, Hongxin Liu, Yukun Zhou, Tianyi Li, and Yang You. Open-Sora: Democratizing efficient video production for all. *arXiv preprint arXiv:2412.20404*, 2024. URL <https://arxiv.org/abs/2412.20404>.
- [34] Yoav HaCohen, Nisan Chiprut, Benny Brazowski, Daniel Shalem, Dudu Moshe, Eitan Richardson, Eran Levin, Guy Shiran, Nir Zabari, Ori Gordon, Poriya Panet, Sapir Weissbuch, Victor Kulikov, Yaki Bitterman, Zeev Melumian, and Ofir Bibi. LTX-Video: Realtime video latent diffusion. *arXiv preprint arXiv:2501.00103*, 2024. URL <https://arxiv.org/abs/2501.00103>.
- [35] Yushu Wu, Zhixing Zhang, Yanyu Li, Yanwu Xu, Anil Kag, Yang Sui, Huseyin Coskun, Ke Ma, Aleksei Lebedev, Ju Hu, Dimitris N. Metaxas, Yanzhi Wang, Sergey Tulyakov, and Jian Ren. SnapGen-V: Generating a five-second video within five seconds on a mobile device. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 2479–2490, 2025. doi: 10.1109/CVPR52734.2025.00237.
- [36] Jiancheng Huang, Gengwei Zhang, Zequn Jie, Siyu Jiao, Yinlong Qian, Ling Chen, Yunchao Wei, and Lin Ma. M4V: Multimodal mamba for efficient text-to-video generation. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 36747–36757, 2026. URL https://openaccess.thecvf.com/content/CVPR2026/html/Huang_M4V_Multimodal_Mamba_for_Efficient_Text-to-Video_Generation_CVPR_2026_paper.html.
- [37] Hanno Ackermann, Hong Cai, Mohsen Ghafoorian, and Amirhossein Habibian. HLA: Hadamard linear attention. *arXiv preprint arXiv:2602.12128*, 2026. URL <https://arxiv.org/abs/2602.12128>.

A Related Work

Video diffusion transformers. Diffusion Transformers (DiTs) replace the convolutional backbone of diffusion models with Transformer blocks and exhibit favorable scaling behavior for visual generation [5]. This paradigm has been extended to video generation by modeling videos as sequences of spatio-temporal latent tokens. Early works such as Latte investigate factorized spatial-temporal Transformer designs [1], while recent large-scale systems, including CogVideoX [2], HunyuanVideo [3], and Wan [4], demonstrate the strong generation quality enabled by scaling Video DiTs. However, increasing the spatial resolution or video duration rapidly enlarges the token sequence, making quadratic self-attention a major computational and memory bottleneck.

Our work builds on pretrained Video DiTs and focuses on reducing this cost without repeating their expensive pretraining.

Efficient attention and Video DiT linearization. Linear attention reduces the quadratic token-interaction cost by rearranging kernelized attention computation [6]. Subsequent recurrent formulations improve its expressiveness through data-dependent gating [7], delta-rule memory updates [8, 20], or their combination [14]. These operators introduce state-update, decay, and gating parameters that do not have direct counterparts in conventional softmax attention.

Efficient attention has also been explored in diffusion models. LinGen [21] and SANA-Video [22] construct video generators around linear-complexity backbones, but require dedicated model training. For pretrained image DiTs, CLEAR [23], EDiT [24], and LiT [12] study architectural replacement and distillation recipes for efficient attention. More closely related to our setting, Attention Surgery [9], LinVideo [10], and ReHyAt [11] convert pretrained Video DiTs through hybrid attention, selective layer replacement, attention distillation, and subsequent recovery. These methods primarily improve *which* attention operator or layer to replace and *how* the converted model should be recovered. LinMorph is complementary: it addresses *how the parameters of the replacement operator should be initialized* before recovery.

Cross-architecture parameter transfer. A related line of research transfers knowledge between neural networks through their parameters. Net2Net [25] and network morphism [26] construct function-preserving transformations when changing network depth, width, or kernel size. Transformer-to-RNN conversion instead replaces pretrained attention with a recurrent alternative and recovers the converted model through fine-tuning [13], while cross-architecture layer-wise distillation transfers intermediate behavior between structurally different models [27]. Recent parameter-prediction methods further learn weight templates or projections for initializing networks of different configurations [28, 29]. These lines of work study function-preserving network changes, recurrent conversion, cross-architecture distillation, and initialization across model configurations. Our focus is a shared, source-conditioned initialization rule for softmax-to-GDN conversion. It uses pretrained projections to initialize both corresponding parameters and unmatched components such as gates, decays, and update projections, before recovering the converted model.

B Implementation Details of LinMorph

B.1 Notation and Parameter Conventions

All projection weights use the output-by-input convention: $\mathbf{W} \in \mathbb{R}^{d_{\text{out}} \times d_{\text{in}}}$ acts as $\mathbf{XW}^\top$ on row-token inputs. Uppercase source subscripts Q, K, V, O distinguish pretrained projections from lowercase target subscripts q, k, v, o, g, a, β . The subscript T identifies teacher activations, while matrix transposition is denoted by $\top$. An overbar denotes a source-conditioned base weight before residual correction, and a tilde denotes the resulting initialization after residual correction. Hats denote outputs of the mapped replacement during local alignment. The subscript mix denotes the source mixture before hidden-width alignment. These distinctions apply during mapper fitting; after materialization, the target parameters are independently optimized and need not remain representable by the original shared mapper.

Table 7. Notation used throughout the manuscript.

Symbol	Meaning
ℓ	Transformer block index.
$s, \mathcal{S}, S$	Source index, source set $\{Q, K, V, O\}$, and its size $S = 4$.
j, b, i	Target-parameter index, mixing-group index, and channel index.
t, σ_t, c	Diffusion scheduler timestep, corresponding noise level, and text condition.
D, H_s, d_s	Teacher width, head count, and head width, with $D = H_s d_s$.
D_g, H, d_k, d_v	GDN hidden width, recurrent head count, and per-head key/value widths.
C_j, G_j	Attention-channel count and mixing-group count for target j .
$\alpha_{j,b,s}$	Scalar coefficient for source s in target group (j, b) .
$\boldsymbol{\alpha}_{j,b}$	The corresponding S -dimensional coefficient vector.
ϕ, ψ	Shared base-mapping parameters and shared residual parameters.
$\tilde{\Theta}_{\text{GDN}}^{(\ell)}$	Generated native GDN initialization, excluding hidden-width bridges.
$\Theta_{\text{lin}}^{(\ell)}$	Generated complete replacement parameters, including both bridges.
$\Theta_{\text{lin}}^{(\ell,0)}$	Materialized initialization produced by the fitted mapper.
$\mathcal{B}, \mathcal{R}_m$	Layers used for local mapping loss and layers replaced at recovery stage m .
$m, m_\star$	Progressive replacement stage and chosen final replacement stage (2 or 3).
θ_m, θ	Student model parameters during progressive stage m and final joint recovery.
v_T, v_{θ_m}	Frozen teacher and stage- m student velocity predictions.

B.2 Target Operator, Shapes, and Initialization

The full-model configuration uses a 30-block Wan2.1-T2V-1.3B teacher with $D = 1536$, $H_s = 12$ source heads, and source head width $d_s = 128$. The target GDN uses $D_g = 3072$, $H = 24$, $d_k = 256$, and $d_v = 512$. Consequently, the query/key channel count is $C_k = 6144$ and the value/gate channel count is $C_v = 12288$; neither should be confused with the internal hidden width D_g . Each replacement performs a forward causal scan over the flattened video-token sequence, with short convolutions, ℓ_2 -normalized queries and keys, sigmoid update gates, learned decay, and gated output normalization. The state is reset for each attention evaluation. Only the teacher’s four projection matrices supply source weights: teacher projection biases, query/key normalization, and rotary embeddings are not transferred by the mapping. The external block interface, cross-attention, feed-forward network, and residual/modulation structure are retained.

The q, k, v, o mixtures initially select their namesake sources; the g and β mixtures and the auxiliary offsets initially vanish. Dense channel adapters start with head-aware repetition for q, k, v, g and corresponding averaging for o , and are subsequently learned without structural constraints. More explicitly, target head h initially draws from source head $h_s(h) = 1 + \lfloor (h - 1)/r_H \rfloor$, where $r_H = H/H_s$ and $h = 1, \dots, H$. Its d_s -wide source channels are repeated d_k/d_s or d_v/d_s times. The output adapter averages the $r_H(d_v/d_s)$ repeated copies.

For $r_D = D_g/D$, the hidden bridges initially satisfy

$$\mathbf{B}_{\text{up}} = \begin{bmatrix} \mathbf{I}_D \\ \vdots \\ \mathbf{I}_D \end{bmatrix}, \quad \mathbf{B}_{\text{down}} = \frac{1}{r_D} \mathbf{B}_{\text{up}}^\top, \quad \mathbf{B}_{\text{down}} \mathbf{B}_{\text{up}} = \mathbf{I}_D. \quad (10)$$

The identity relation describes their initialization only; both bridges are learned. It does not imply equivalence between softmax and GDN.

Mixing order and group counts. The verified full-model recipe expands each source before mixing. For FullMix, a source-shared linear adapter commutes with the scalar source mixture, e.g., $\sum_s \alpha_s \mathbf{E} \mathbf{W}_s = \mathbf{E} \sum_s \alpha_s \mathbf{W}_s$. This equivalence does not generally extend to group-dependent coefficients. For the main projections, post-expansion HeadMix has $H(d_k/d_s) = 48$ groups for each of q, k and $H(d_v/d_s) = 96$ groups for each of v, g, o . With $S = 4$ sources, a target with C_j attention channels and G_j groups uses S , SG_j , or SC_j coefficients in FullMix, HeadMix, or ChannelMix, respectively. The schematic therefore uses mixing-group labels rather than identifying G_j with the $H = 24$ recurrent heads.

B.3 Auxiliary Parameter Construction

Inventory of transformed parameters. LinMorph constructs the query, key, value, and output projection weights ($\mathbf{W}_q, \mathbf{W}_k, \mathbf{W}_v, \mathbf{W}_o$), the output-gate projection $\mathbf{W}_g$, the update-gate projection $\mathbf{W}_\beta$, and the decay projection $\mathbf{W}_a$. It also constructs the per-head decay parameters $A_{\log}$ and dt bias, the three short-convolution kernels applied to the query, key, and value streams, and the learned scale of the output normalization. The hidden-width alignment bridges are handled separately from these native GDN parameters.

The projections q, k, v, o, g are generated through the shape-aligned matrix mixing described in the main text. Although g has no namesake softmax counterpart, its projection is constructed from the same four pretrained source matrices. The update and decay projections use head-pooled source weights, while the remaining parameters use reduced source-weight statistics. We detail these constructions below and summarize their native shapes, source reductions, and fixed bases in Table 8.

We omit layer superscripts here. Reshape each stored source projection as $\mathbf{W}_s[h, u, i]$, with source head h , within-head channel u , and input channel i . Define the row-pooled matrix and three RMS profiles:

$$\begin{aligned} U_s[h, i] &= \frac{1}{d_s} \sum_u W_s[h, u, i], \\ r_s^{\text{head}}[h] &= \text{std}_h \left(\sqrt{\frac{1}{d_s D} \sum_{u, i} W_s[h, u, i]^2} \right), \\ r_s^{\text{channel}}[h, u] &= \text{std}_{h, u} \left(\sqrt{\frac{1}{D} \sum_i W_s[h, u, i]^2} \right), \\ r_s^{\text{norm}}[u] &= \text{std}_u \left(\sqrt{\frac{1}{H_s D} \sum_{h, i} W_s[h, u, i]^2} \right). \end{aligned} \tag{11}$$

Here $\text{std}_{\mathcal{I}}$ denotes centering and division by the centered RMS over index set $\mathcal{I}$, not the sample standard deviation:

$$\text{std}_{\mathcal{I}}(x) = \frac{x - \text{mean}_{\mathcal{I}} x}{\max \left(\sqrt{\text{mean}_{\mathcal{I}} (x - \text{mean}_{\mathcal{I}} x)^2}, 10^{-6} \right)}. \tag{12}$$

Each source is standardized independently. U_s is a plain arithmetic mean and is not standardized.

Table 8. Auxiliary mappings in FullMix. Shapes use stored-weight conventions. The convolution channel count C_j is C_k for q, k and C_v for v ; K is the short-convolution kernel length.

Target	Native shape	Source reduction	Fixed base
Decay projection a	$H \times D_g$	U_s	Zero
Update projection β	$H \times D_g$	U_s	Zero
$A_{\log}$, dt bias	H	r_s^{head}	Native initialization
Short-conv weights	$C_j \times 1 \times K$	r_s^{channel}	Identity kernel
Output-norm scale	d_v	r_s^{norm}	Ones

In FullMix, each auxiliary target has its own four-source coefficient vector. The construction for every target consists of reduction, source mixing, deterministic head/channel repetition, and addition to a fixed base. Head-indexed quantities use the source-head assignment $h_s(h) = 1 + \lfloor (h - 1)/r_H \rfloor$. Within-head channel profiles are repeated to the target head width. Table 8 gives the target-specific rules.

For example, FullMix constructs the a and β projection bases as

$$\overline{\mathbf{W}}_j[h, :] = \left(\sum_{s \in \mathcal{S}} \alpha_{j,s} U_s[h_s(h), :] \right) \mathbf{B}_{\text{down}}, \quad j \in \{a, \beta\}. \quad (13)$$

Both have shape $H \times D_g$ and zero fixed base. Here $\overline{\mathbf{W}}_a$ is the source-conditioned decay projection. The β projection additionally receives the native residual in Equation 6; a does not. For FullMix convolutions, the mixed channel profile is added to every kernel tap. The base kernel has a one at the last causal tap and zeros elsewhere. This describes the kernel initialization, not an identity of the entire nonlinear convolution module. The short convolutions use kernel size $K = 4$, no bias, and SiLU activation.

Finer-grained auxiliary variants. Auxiliary axes do not always admit the same grouping as a main projection. For HeadMix, a , $A_{\log}$, and the dt bias use a global mixture plus a per-target-head mixture. Convolutions use per-tap global mixtures plus per-tap, per-target-head mixtures. The β projection has a per-target-head mixture, whereas the output-norm scale has only a global mixture because it has no separate head axis. For ChannelMix, a uses a mixture per teacher input channel, while β , $A_{\log}$, and the dt bias use per-target-head mixtures. Convolutions use mixtures indexed by kernel tap and teacher output channel, shared across its repeated target channels; the output norm uses mixtures per teacher within-head channel, likewise shared across repeated slots. All these mixture parameters are shared across participating layers.

B.4 Mapping Optimization and Parameter Accounting

The teacher and native GDN template are frozen during mapping; differentiation through the mapped block updates only the transformation. The base step trains mixtures, channel adapters, bridges, and auxiliary mappings without a residual. The second step freezes the complete base and trains only native-shape residuals for q, k, v, o, g, β . Both use Equation 7, with no relative-error normalization or additional mapping regularizer. The default mapping configuration includes all 30 layers in each update. A long-video configuration instead uses cyclic, rank-strided layer minibatches; this is a deterministic schedule, not independent random layer sampling. Timesteps are sampled from the scheduler’s discrete training grid; uniform grid-index sampling need not be uniform in noise level.

Table 9. Parameter-count comparison for the specified architecture. Mapping rows count the parameters trainable in each separate fitting step. Progressive recovery trains all selected GDN modules and their bridges. Full-DiT fine-tuning additionally updates the remaining model components. Counts are not measurements of wall-clock time.

Parameter set	Parameters (M)
Shared base mapper	84.93
Shared residual refinement (base frozen)	151.07
Single native GDN (reference)	151.24
Single GDN with bridges (reference)	160.68
7 GDN modules with bridges	1,124.75
14 GDN modules with bridges	2,249.50
21 GDN modules with bridges	3,374.25

An optional low-rank correction replaces $\Delta \mathbf{W}_j$ with $\mathbf{U}_j \mathbf{V}_j^\top$, where $\mathbf{U}_j \in \mathbb{R}^{d_{\text{out},j} \times r}$ and $\mathbf{V}_j \in \mathbb{R}^{d_{\text{in},j} \times r}$. One factor is Gaussian-initialized with standard deviation 0.02 and the other is zero; there is no additional $1/r$ scaling. As with full corrections, these factors are shared across layers.

Parameter counts must include more than source-mixture coefficients. In the specified FullMix configuration, the five dense channel adapters contain 75,497,472 parameters, the two bridges contain 9,437,184, and the main/auxiliary mixtures contain 52, totaling 84,934,708 trainable base parameters. The subsequent full-residual step trains 151,068,672 parameters while freezing the base. The combined transformation contains 236,003,380 learned parameters and is shared across depth; it is not a per-layer mapping of that size. Only one of the two parameter subsets is trainable in each fitting step. For comparison, one native GDN module contains 151,241,264 parameters; its two bridges bring the complete replacement to 160,678,448. The base mapper is therefore 43.8% smaller than a single native GDN, or 47.1% smaller than a complete replacement with bridges. The residual-only fitting step is approximately the size of one native GDN; it is not a second jointly trained copy of the base mapper. Table 9 compares the parameters optimized in each mapping or progressive-recovery phase.

For clarity, the combined stored base and residual parameters total 236.00M, which exceeds a single replacement’s parameter count. The single-module comparison above refers to the base mapper and the separate residual-fitting step, not to their combined stored size. The shared mapping nevertheless remains substantially smaller than multi-module or full-model recovery. Materialization removes online source mixing and weight generation, but does not remove the native GDN parameters or, in the default runtime, the hidden-width bridges.

B.5 Progressive Replacement and Recovery Details

With zero-based block indices, the nested replacement sets are

$$\begin{aligned}
 \mathcal{R}_0 &= \emptyset, \\
 \mathcal{R}_1 &= \{0, 4, 8, 12, 16, 20, 24\}, \\
 \mathcal{R}_2 &= \{0, 1, 4, 5, 8, 9, 12, 13, 16, 17, 20, 21, 24, 25\}, \\
 \mathcal{R}_3 &= \{0, 1, 2, 4, 5, 6, 8, 9, 10, 12, 13, 14, 16, 17, 18, \\
 &\quad 20, 21, 22, 24, 25, 26\}.
 \end{aligned} \tag{14}$$

For stage m , a layer in $\mathcal{R}_{m-1}$ inherits its preceding checkpoint, whereas a layer in $\mathcal{R}_m \setminus \mathcal{R}_{m-1}$ receives the corresponding materialized initialization. All replacement attention modules at layers in $\mathcal{R}_m$, including their bridges, are trainable during that stage; the remaining student components are frozen. The teacher is always the original softmax model.

Prediction distillation uses an elementwise L1 loss with unit coefficient, without a task-loss term, trajectory loss, or scheduler loss weighting. Teacher and student use the same conditioning and classifier-free guidance (CFG) schedule. For the seven-block stage and the one-shot recovery baseline, CFG is set to five for the first 500 optimizer updates and to one thereafter. The subsequent fourteen- and twenty-one-block stages use CFG one throughout. One teacher prediction is evaluated for each sampled noisy input; no multi-step teacher trajectory is required. After replacement reaches $\mathcal{R}_{m_\star}$, the final teacher-free phase trains the entire hybrid DiT, including its retained softmax blocks, while freezing the VAE and text encoder. The 14-GDN setting uses $m_\star = 2$ and 4,000 updates in this final phase; the 21-GDN setting uses $m_\star = 3$. The 4,000-update count is not the total mapping-plus-recovery budget.

Compute and scope. For fixed head dimensions, each replaced recurrent attention operator has linear sequence-length scaling and a fixed-size recurrent state. The retained softmax layers mean that the full hybrid backbone is not asymptotically linear in sequence length. Training-memory use and wall-clock speed also depend on kernel realization, projections, intermediate activations, and retained modules; they should be measured separately. Comparisons of initialization quality should report mapping cost, recovery updates, and end-to-end conversion cost, and distinguish equal-recovery-budget comparisons from equal-total-budget comparisons.

C Experimental Protocols and Additional Results

C.1 Recovery Protocols and Checkpoint Accounting

Backbone-specific recovery objectives. The Wan2.1 initialization ablation uses teacher-prediction L1 distillation without a task loss. Its matched historical CFG schedule uses scale five for the first 500 updates and scale one thereafter. All three initialization arms follow this schedule. The Wan2.2 ablation instead uses

$$\mathcal{L}_{\text{Wan2.2}} = w(t) [\text{MSE}(v_S, v^\star) + 0.05 \text{MSE}(v_S, \text{sg}(v_T))], \quad (15)$$

where $v^\star$ is the flow-matching target, $w(t)$ is the scheduler’s training weight, and sg denotes a detached teacher output. Wan2.2 recovery uses OpenVid clips at $81 \times 736 \times 1280$, with CFG one; functional evaluation uses HQ videos at $81 \times 480 \times 832$. Within each backbone, all arms update the same selected GDN modules and their bridges while freezing the remaining DiT, VAE, and text encoder.

Manual initialization. The manual baseline applies deterministic dimension alignment to the pre-trained query, key, value, and output projections, using the backbone-specific subhead/repetition construction. It initializes the g , β , and a projection matrices to zero and the raw short-convolution kernels with a unit last tap. Other decay and normalization parameters retain their seeded base initialization. Zero β logits imply a sigmoid value of 0.5, not a zero update gate. The random baseline uses native seeded initialization of the target replacement. The comparisons evaluate complete initialization recipes, rather than isolating the act of copying Q, K, V, O alone.

Mapper variants. Wan2.1 uses the dense-adapter FullMix morphism with a separately fitted full-matrix residual correction described in Section 2.1. Wan2.2 uses a separately trained shared four-source mapper with repetition-based dimension alignment and rank-eight additive corrections. Both variants construct layer-specific target weights from a transformation shared across source layers; each backbone uses a mapper fitted to its own source weights and target dimensions.

Table 10. Recovery settings for the initialization ablations. These are not the mapper-fitting or final teacher-free fine-tuning settings.

Setting	Wan2.1	Wan2.2
Source backbone	T2V-1.3B	T12V-5B, T2V mode
Replacement blocks	{0, 4, 8, 12, 16, 20, 24}	{0, 5, 10, 15, 20, 25}
Recovery data	HQ videos	OpenVid
Training clip shape	$81 \times 480 \times 832$	$81 \times 736 \times 1280$
Training devices	8 GPUs	8 GPUs
Per-device batch	1	1
Gradient accumulation	2	4
Effective batch	16	32
Learning rate	5×10^{-6}	5×10^{-6}
Warmup updates	500	500
Training seed	20260731	20260731
Evaluation seed	20260921	20260922

Progressive and direct schedules. The progressive model uses 1,500 updates at each of seven, fourteen, and twenty-one GDN blocks. Its last checkpoint is named after 3,000 *last-stage microsteps*, but its total recovery budget is $3 \times 3,000/2 = 4,500$ updates. The direct model uses $9,000/2 = 4,500$ updates at twenty-one blocks. The seven-block stage and the start of direct recovery both use CFG five for 500 updates, followed by CFG one. The later fourteen- and twenty-one- block progressive stages use CFG one throughout and restart the 500-update learning-rate warmup. Optimizer/scheduler restarts and the number of trainable modules are therefore part of the whole-recipe comparison. Total optimizer updates are matched; per-layer exposure and total training FLOPs differ because the number of replacements changes by stage.

Checkpoint accounting. Ablation budgets throughout the main paper count optimizer updates rather than microsteps. The 14-GDN generation model is evaluated after 4,000 optimizer updates of teacher-free full-model fine-tuning following mapping and progressive distillation. The 21-GDN quality and efficiency evaluations use the same final-recovery checkpoint at microstep 40,000, corresponding to 20,000 optimizer updates with gradient accumulation factor two. These counts refer to the final recovery stage and exclude mapper fitting and preceding progressive-distillation stages.

C.1.1 Additional Recovery Curves

Figure 6 compares the training dynamics of the three initialization recipes on Wan2.2 with six GDN replacements.

C.2 Evaluation Metrics and Statistical Scope

We measure functional fidelity using normalized mean squared error (NMSE) and cosine similarity,

$$\begin{aligned}
 \text{NMSE}(\mathbf{y}_S, \mathbf{y}_T) &= \frac{\|\mathbf{y}_S - \mathbf{y}_T\|_F^2}{\max(\|\mathbf{y}_T\|_F^2, 10^{-12})}, \\
 \text{Cos}(\mathbf{y}_S, \mathbf{y}_T) &= \frac{\langle \text{vec}(\mathbf{y}_S), \text{vec}(\mathbf{y}_T) \rangle}{\max(\|\mathbf{y}_S\|_F, 10^{-12}) \max(\|\mathbf{y}_T\|_F, 10^{-12})}.
 \end{aligned} \tag{16}$$

Metrics are computed per example and then averaged.

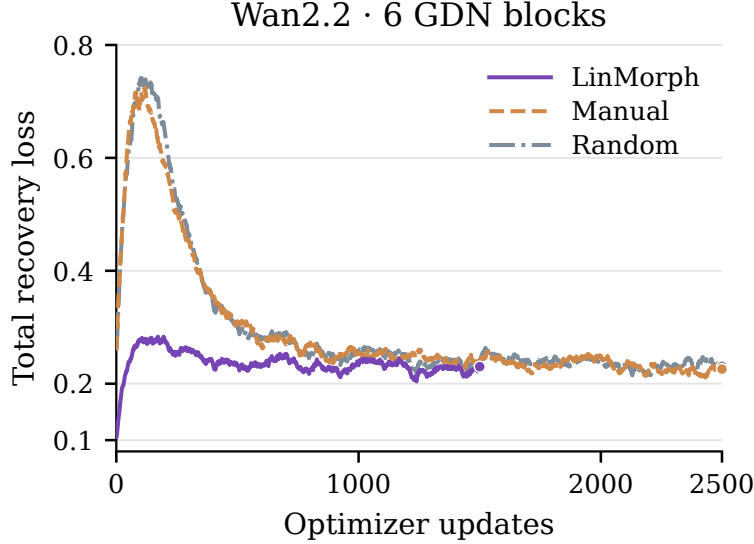


Figure 6. Wan2.2 recovery with six GDN blocks. Total training recovery loss with EMA-100 smoothing. All methods use the same backbone-specific recovery objective.

Teacher-forced evaluation measures individual replacements using the corresponding teacher hidden states as input. Depth-rollout evaluation instead propagates student hidden states through a complete DiT forward pass and measures both replaced-block outputs and the final velocity prediction.

Initialization and recovery-schedule ablations use a fixed 64-video HQ subset at $81 \times 480 \times 832$ and diffusion timesteps $\{100, 300, 500, 700, 900\}$. The 64-video evaluation subset uses indices 8192–8255. Within each ablation suite, record keys comprising video index, timestep, block index, and evaluation scope match across candidates. For K replaced blocks, attention and depth-rollout block metrics each average $64 \times 5 \times K$ records; final output metrics average $64 \times 5 = 320$ records. These are single-forward comparisons at sampled noise levels, not diffusion-trajectory or generated-video measurements.

Mapper fitting uses a configured training prefix of 8,192 videos. The fixed evaluation indices lie outside that prefix, but the loader’s decode-failure resampling may draw outside it, and exclusion from subsequent Wan2.1 recovery data is not enforced. Wan2.2 recovery uses OpenVid and evaluation uses HQ videos; cross-manifest source-video deduplication has not been performed. We accordingly describe these as fixed-subset functional comparisons.

Each configuration uses one training run. Mapper-intervention intervals are obtained by averaging paired differences over timesteps and layers within each of eight videos, then bootstrapping video clusters 10,000 times. The statistic is the ratio of mean intervention NMSE to mean unmodified NMSE, minus one. Intervals describe video-sample variation for a fixed trained mapper.

C.3 Progressive Recovery: Complete Prediction Diagnostics

The measurements in Table 11 are taken immediately after prediction distillation, before teacher-free joint fine-tuning. Progressive conversion improves block alignment, while the one-shot model has lower final-output NMSE at this stage. Final joint fine-tuning optimizes the entire DiT under the flow-matching objective so that intermediate representations and the denoising

Table 11. Complete diagnostics before final joint fine-tuning. Both 21-GDN models use 4,500 distillation updates. Block metrics measure depth-rollout outputs at replaced layers; output metrics measure the final DiT velocity prediction on the same fixed evaluation inputs.

Schedule	Block NMSE ↓	Block Cos. ↑	Output NMSE ↓	Output Cos. ↑
One-shot	0.18406	0.90358	0.03415	0.98260
Progressive	0.17931	0.90728	0.03868	0.98026

Table 12. Teacher-forced attention diagnostics for initialization. Rows shared with Table 2 use the same checkpoints. An additional 1,500-update LinMorph checkpoint is included for Wan2.2. A norm ratio close to zero indicates an attenuated student attention output; low NMSE alone need not imply good directional agreement.

Backbone	Initialization	Updates	Attn. NMSE ↓	Attn. Cos. ↑	Norm ratio
Wan2.1	LinMorph	1500	0.43849	0.75766	0.86764
Wan2.1	Manual	1500	1.02142	0.26047	0.36950
Wan2.1	Random	1500	1.10699	0.08895	0.26422
Wan2.1	Random	3000	1.09900	0.15997	0.39579
Wan2.2	LinMorph	1250	0.96955	0.48265	0.92147
Wan2.2	LinMorph	1500	1.00650	0.47709	0.94721
Wan2.2	Manual	1250	0.94925	0.25321	0.28571
Wan2.2	Manual	2500	0.95883	0.31231	0.44852
Wan2.2	Random	1250	1.03219	0.06895	0.22032
Wan2.2	Random	2500	1.11141	0.13078	0.39946

output can adapt together. The schedule comparison here covers the distillation stage; a matched post-fine-tuning schedule comparison is not included.

C.4 Additional Functional Diagnostics

Independent training runs and hardware platforms. The pre-recovery initialization results in Table 1 and the transformation-design ablation in Section 4.6 come from two independently executed training and evaluation runs. The former uses NVIDIA A800 GPUs, whereas the latter uses MetaX GPUs. Both runs follow the same training and evaluation recipe for the corresponding configurations, but their mapper parameters are fitted separately. Accordingly, matching configuration names across these experiments refer to the same method specification, not to an identical trained checkpoint. Each table reports measurements from its own run rather than an average across hardware platforms.

Pre-recovery fidelity protocol. Table 1 evaluates 64 QWorld videos from the HQ evaluation data at $17 \times 256 \times 448$, using five diffusion timesteps and all 30 source blocks. Random initialization, manual copying, the base morphism, and the residual-refined morphism receive identical cached video frames, text conditions, and noise seeds. All measurements are obtained before downstream recovery.

Table 12 reports teacher-forced attention metrics omitted from the main initialization table. They need not rank models identically to depth-rollout or final-output metrics. For example, Wan2.2 manual initialization at 1,250 updates obtains slightly lower attention NMSE than LinMorph, but has much lower cosine similarity and output norm ratio. An attenuated prediction

Table 13. Reuse across video shapes without mapper refitting. Both variants are fitted at $17 \times 256 \times 448$; each is then evaluated at both sizes. Each row averages 9,600 teacher-forced local comparisons (64 videos, five timesteps, 30 blocks). Residual denotes the separately fitted native-shape correction, not post-transfer optimization.

Evaluation size	Mapper	Attention NMSE ↓	Attention Cos. ↑	Block NMSE ↓	Block Cos. ↑
$17 \times 256 \times 448$	Base	0.29951	0.83543	0.01242	0.99379
$17 \times 256 \times 448$	Base + residual	0.27237	0.85161	0.01121	0.99439
$81 \times 480 \times 832$	Base	0.34784	0.80592	0.01549	0.99231
$81 \times 480 \times 832$	Base + residual	0.32078	0.82269	0.01418	0.99296

can reduce squared error without reproducing the teacher’s direction. This motivates reporting cosine similarity alongside NMSE and evaluating the composed model.

Degenerate fixed-copy sanity check. The zero-recovery mapping-analysis baseline initializes unmatched output gate parameters to zero. Its attention output is zero (NMSE one and cosine zero), while the surrounding block retains its residual stream. Removing all unmatched routes from the fitted mapper also produces zero attention output. We therefore use route removal and source permutation with the other learned components retained to test the fitted mapper’s source assignments in Section 3.1. Coefficient magnitudes visualize the mixing rule, whereas these interventions test its functional effect.

C.4.1 Cross-Scale Reuse of the Morphism

Because the morphism operates on model weights rather than video tokens, its parameterization does not depend on video length or spatial resolution at a fixed architecture. This allows the same fitted morphism to be reused at larger video scales.

The cross-scale results in Table 13 use the original OpenVid evaluation subset, whereas Table 1 reports the QWorld evaluation. The small-scale measurements in these two tables therefore refer to different evaluation inputs.

Both the base and residual-refined mappers are fitted at $17 \times 256 \times 448$ and evaluated at this scale and at $81 \times 480 \times 832$, without further optimization. The evaluations use the same 64 video indices, five timesteps, and 30 source blocks, yielding 9,600 teacher-forced local comparisons per setting. Each replacement receives the teacher’s incoming hidden state, so these measurements isolate local functional alignment.

Table 13 shows that residual refinement improves both attention- and block-level alignment at both scales. At the fitting scale, it reduces block NMSE from 0.01242 to 0.01121. At the larger scale, it reduces block NMSE from 0.01549 to 0.01418 and increases block cosine similarity from 0.99231 to 0.99296. The corresponding attention NMSE decreases from 0.34784 to 0.32078. These improvements are obtained by reusing the same fitted transformation and correction, rather than optimizing them again at the larger scale.

Figure 7 complements the aggregate results with block-NMSE profiles across all 30 layers. Together, the table and layerwise profiles characterize how the learned initialization transfers across video scales.

Mapping cost. The successful low-resolution FullMix base and residual runs each use 4,096 updates on four A800-80GB GPUs, batch one per device and no gradient accumulation. Successful launcher-to-shutdown logs imply approximately 5.87 elapsed hours, or 23.48 GPU-hours, for

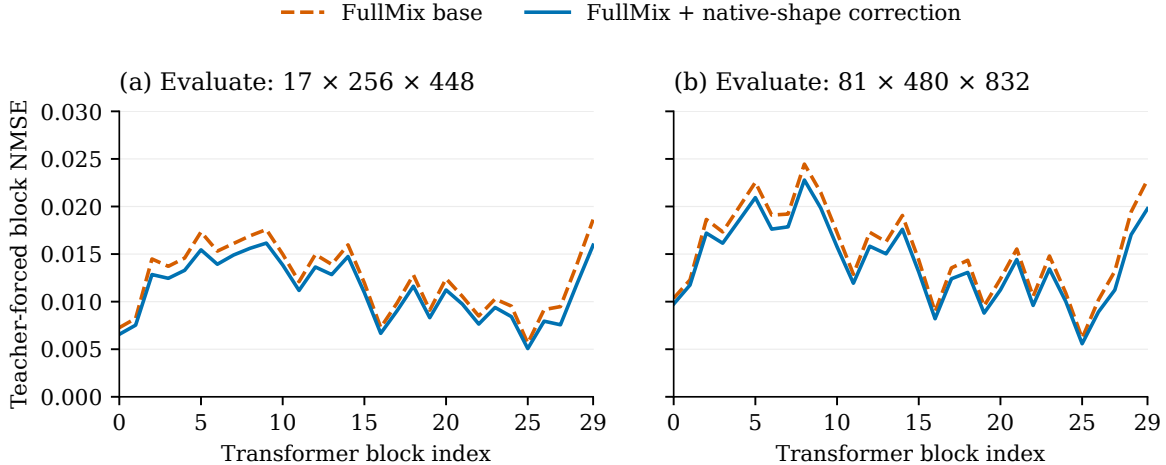


Figure 7. Layerwise local alignment across video sizes. The same low-resolution-trained base and residual-refined mappers are evaluated at two video sizes. Block indices are zero-based; all 30 source layers participated in mapper fitting. Lines connect measured layers and are not uncertainty estimates.

Table 14. Cross-layer sharing and generalization. Block NMSE and cosine are averaged over five evenly spaced evaluation blocks (0, 6, 12, 18, and 24). For the one-layer setting, five separate mappers are each trained on one corresponding block; for the six-layer setting, five separate mappers are trained on consecutive groups [0, 5], [6, 11], [12, 17], [18, 23], and [24, 29]. Each mapper is evaluated at all five evaluation blocks. The table then reports the equal-weight mean across the five mappers. The 30-layer setting trains one mapper on all layers and evaluates it at the same five blocks.

Layers sharing a mapper	Block NMSE ↓	Block Cos. ↑
1 layer (independent mappers)	0.20388	0.94327
6 layers (group-shared mappers)	0.20734	0.94558
30 layers (one shared mapper)	0.01560	0.99221

both steps together; this includes startup, I/O, and checkpointing, but excludes unsuccessful earlier attempts. The stored base and residual together contain 236.00M parameters; the two fitting steps update 84.93M and 151.07M, respectively. These shared fitting costs are reported separately from recovery-update budgets. A larger-video fitting run uses layer minibatching and activation checkpointing, so its elapsed time is not used as a matched-cost comparison. The reported recovery-update reductions do not include mapper fitting.

C.5 Cross-Layer Sharing and Generalization

LinMorph uses a single transformation shared across participating layers, rather than fitting an independent mapper for each replacement. This design assumes that softmax-to-linear conversion contains reusable structure across depth, even though each layer provides different pretrained source weights. We examine this assumption by comparing mappings shared over one, six, and all 30 layers under the same data and fitting objective.

As shown in Table 14, the 30-layer shared mapper achieves substantially better average alignment than the one-layer and six-layer settings. Although both localized settings fit their corresponding blocks slightly better, their alignment degrades on held-out anchors, so the local fit gains do not persist in the cross-layer average. This pattern suggests that learning across the full

depth captures more reusable structure than fitting mappers to individual layers or local groups, supporting a full-depth shared mapper as our default strategy.

C.6 Benchmark Protocols and Reference Sources

Sampling and checkpoint consistency. The LinMorph quality evaluations generate 81 frames at 480×832 and 16 fps, using the official Wan UniPC sampling configuration with 50 steps, CFG six, and flow shift eight. Both benchmarks use microstep 8,000 for the 14-GDN model and microstep 40,000 for the 21-GDN model, corresponding to 4,000 and 20,000 final-recovery optimizer updates, respectively.

VBench contains 944 unique prompts with five samples per prompt, for 4,720 staged videos, and uses the prescribed temporal-flickering filter. The 14-GDN run completes all 16 dimensions with no missing videos. VBench-2.0 uses official Wan-augmented prompts checked against original metadata, three samples per ordinary prompt and twenty for diversity, for 3,860 videos per model. Both configurations complete all 18 dimensions without recorded evaluation errors. Table 3 reports the respective full-suite aggregates; the eight-dimension panel is not used to reconstruct a VBench total.

Prompt correction for the starred 21-GDN total. For temporal flickering, 73 prompts retain the original Wan-enhanced filtered videos. The phone-booth and Petra prompts instead use the official original positive prompts, with independently generated candidates and the unchanged official RAFT acceptance procedure. The resulting aggregate is recorded as a generation-variant result and marked with * in Table 3. The eight dimensions in Table 4 exclude temporal flickering and are unaffected by this correction. The 14-GDN evaluation uses the standard prompt policy.

Aggregate reference sources. The source-backbone and efficient-inference reference scores come from Table 3 of Korzhenkov et al. [30], including the two- and one-step Wan-Adv/Wan-DMD configurations and the selected PyramidalWan-DMD-PT* model with a 2–2–1 sampling schedule. These recent Wan-based methods provide context for alternative routes to efficient generation. Their sampling schedules differ from our 50-step attention-converted models, as indicated in the table.

CogVideoX-2B, VideoREPA-2B, and MoAlign-2B use the jointly reported VBench and VBench-2.0 evaluations in Table 3 of Bhowmik et al. [31]; VideoREPA is their reimplement. All published scores retain their reported precision. The table presents selected reference systems rather than a matched-training- or matched-inference-budget comparison.

LinVideo comparison. The dimension-wise reference is the LinVideo row in the Wan2.1-1.3B section of Table 1 of Huang et al. [10], corresponding to 16 converted attention blocks. We include all eight reported dimensions: imaging and aesthetic quality, motion smoothness and dynamic degree, background and subject consistency, scene, and overall consistency. Both systems use Wan2.1-1.3B and 480p video at 16 fps. LinVideo reports unaugmented prompts and CFG five, whereas LinMorph uses Wan-enhanced prompts and CFG six. The comparison describes the evaluated generation systems; the controlled ablation in Section 4.2 separately tests initialization.

Reference provenance. Table 3 consolidates full-suite VBench and VBench-2.0 scores reported across several recent works. Because these systems differ in model size, training data, sampling schedule, and inference budget, the table is intended to provide broad generation-quality context rather than a strictly matched comparison.

Table 15. Full-generation latency and peak allocated memory. All runs use 480×832 , batch one, BF16, 50 denoising steps, and CFG six. Each latency is one timed generation after one excluded first generation. Memory is PyTorch peak allocated memory in GiB, not total board memory.

Frames	Wan (s)	21 GDN (s)	Speedup	Wan (GiB)	21 GDN (GiB)
81	166.9	213.2	$0.78\times$	15.50	28.40
241	959.0	753.7	$1.27\times$	18.42	44.61
321	1604.7	1094.0	$1.47\times$	19.87	52.72

Superscript ^a denotes scores taken from Table 3 of Korzhenkov et al. [30]. This source provides the reported results for Wan2.1-1.3B, Wan-Adv, Wan-DMD, and PyramidalWan-DMD-PT. We retain the sampling configurations associated with the reported scores, including the published PyramidalWan-DMD-PT* variant with a 2–2–1 sampling schedule.

Superscript ^b denotes scores reported in Table 3 of Bhowmik et al. [31]. These include CogVideoX-2B, MoAlign-2B, and the VideoREPA-2B result reproduced in that work.

Superscript ^c denotes benchmark scores reported or collected by Ghafoorian et al. [9] under the evaluation protocol used in that work. In Table 3, this source is used for CogVideoX-1.5-5B, Open-Sora V1.2, LTX-Video, SnapGen-V, and M4V. For original method descriptions, see VideoCrafter2 [32], Open-Sora [33], LTX-Video [34], SnapGen-V [35], and M4V [36]. The superscripts in Table 3 identify the sources of the benchmark scores, rather than the original method papers.

Superscript ^d denotes the VideoCrafter2 VBench score from the official VBench leaderboard [17]; no comparable full-suite VBench-2.0 score is available in the sources used here.

Superscript ^e identifies results sourced from the corresponding method papers. The HLA-3F-R1-10 result is from Ackermann et al. [37]. For Attention Surgery, we use the published CVPR version of Ghafoorian et al. [9]. The $15 \times R2$ VBench and VBench-2.0 scores are taken from its Tables 1 and 4, respectively. The $20 \times R4$ VBench score marked with [†] is approximately read from the 480×832 panel of its Figure 5 and reported to one decimal place. HLA uses Hadamard linear attention, M4V uses a Mamba/SSM backbone, and Attention Surgery uses hybrid linear–softmax attention. These methods provide related linear-attention, state-space, and hybrid video-generation references.

Finally, all LinMorph scores are obtained from our own evaluation. The * marker on LinMorph-21 denotes the temporal-flickering prompt correction described above; it is unrelated to the * used in the published PyramidalWan-DMD-PT model name.

C.7 Runtime Measurement Details

Implementation and scopes. Each measurement uses one NVIDIA A800-SXM4-80GB, BF16, and batch size one. The environment uses PyTorch 2.6.0 with CUDA 12.6, Triton 3.2.0, FlashAttention 2.6.3, and FLA 0.3.2; TF32 is disabled. The attention-module benchmark measures the trained layer-zero module, including projections, gates, convolutions, recurrence, normalization, and input/output bridges, on identical seeded synthetic hidden states. It is not a recurrence-kernel-only measurement. The backbone benchmark measures one denoiser forward on synthetic latents and conditioning, excluding text encoding and VAE decoding; each timed call contains one conditioning branch, not a full CFG sampling step. Full-generation timing includes text encoding, all denoising steps, tiled VAE decoding, and conversion to PIL frames, but excludes model loading

and MP4 encoding. It uses one fixed prompt and seed 42, with 50 steps, CFG six, and separate conditional/unconditional forwards.

Repetitions and aggregation. Module and backbone runs exclude an initial first call, perform five additional warmup calls, then time twenty calls per model in each of three paired rounds. Baseline and student are paired on the same physical GPU. Each round forms the ratio of median baseline to median student latency; the plotted point is the median of these three ratios and the band is their interquartile range. Full-generation runs exclude an initial complete generation and time one further generation per shape and model. These full-generation points have one timed sample each. Peak allocated memory includes resident model and input allocations; it is not incremental attention workspace or total GPU-board memory.

Resource accounting and runtime configuration. Empty-card utilization/memory checks and memory-ledger guards passed. Host/container PID-namespaces mapping did not establish exclusive ownership. All reported results use the original FLA implementation. The 21-GDN denoiser contains 4,594,869,808 parameters; the pretrained baseline contains 1,418,996,800. At 321 frames, peak allocated full-generation memory is 52.72 and 19.87 GiB, respectively. The latency comparison measures attention replacement, while mapped initialization controls the training starting point. At short sequences, projection and recurrent overhead can dominate; the table and scaling figure include these points as well as longer videos. The nine retained softmax blocks preserve a quadratic component in the hybrid’s total computation. Generation-quality measurements use 81 frames; longer inputs are used for the runtime scaling study.

C.8 Qualitative Comparisons

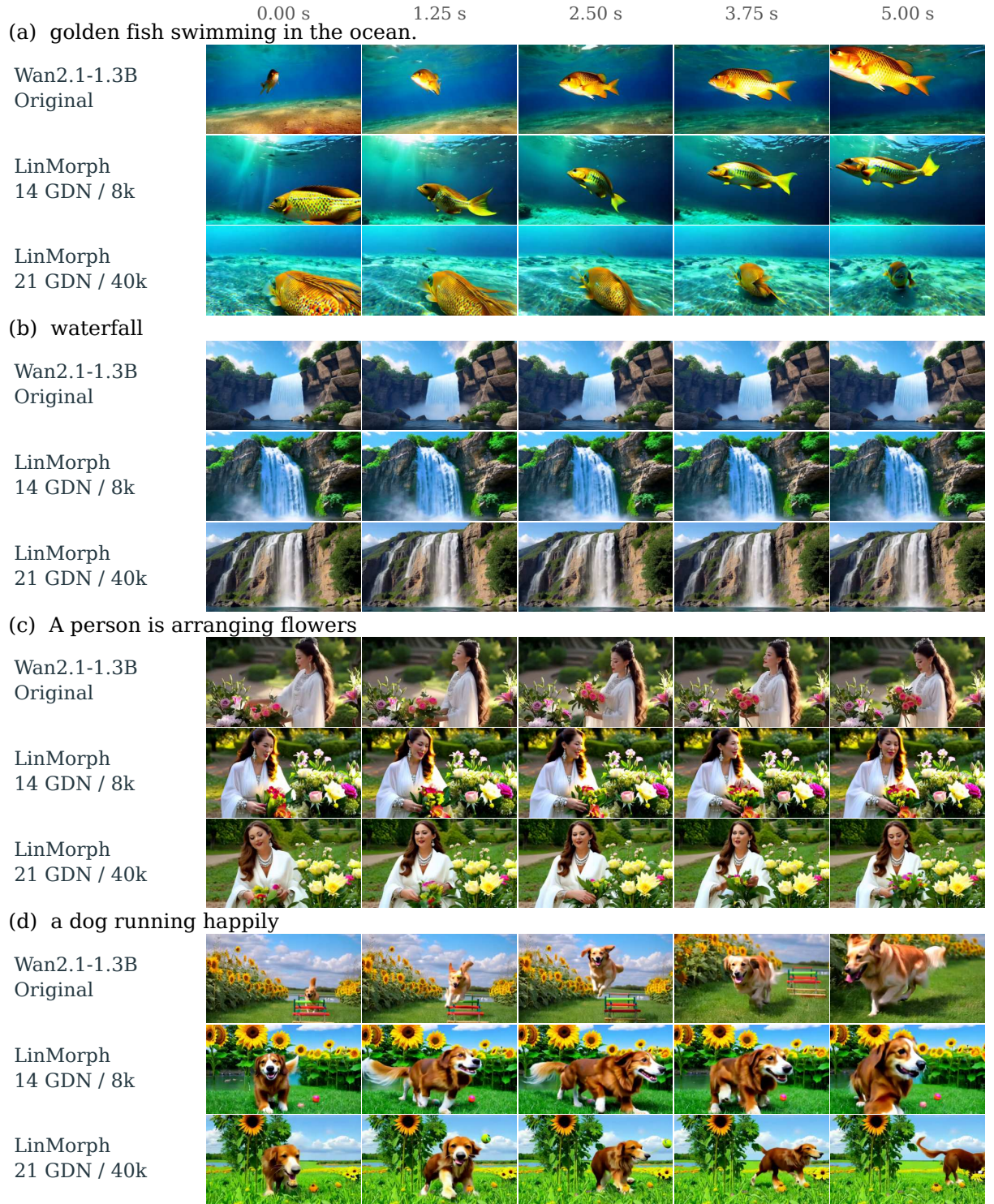


Figure 8. Qualitative comparison on four selected prompts. Rows within each group show Wan2.1-1.3B, LinMorph-14, and LinMorph-21 using identical enhanced prompts, seeds, and sampling settings. Columns show matched timestamps; 8k and 40k denote fine-tuning microsteps.